Comparison of the magnetic field measurements in solar off-limb prominences with model calculations using HAZEL code

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Prominences







Observations of prominences(1)





Observations of prominences (2)



Observations of prominences (3)

Number	Date	Time of exposition	Notes
1	24.07.1981	6:30 UT	Active prominence, sunspots group 345
2	24.07.1999	6:49 UT	Active prominence
3	12.07.2004	8:48:50 UT	Active prominence, which appear after M1.6 solar flare
4	26.09.2011	11:23:25 UT	Quiescent prominence, sunspots group 1295
5	20.10.2011	09:15:25 UT	Quiescent prominence, sunspots group 1316
6	07.11.2011	11:55:25 UT	Quiescent prominence, sunspots group 1343
7	09.11.2011	11:26:17 UT; 11:28:35 UT	Quiescent prominence, sunspots group 1343

Observations of prominences (4)

24.07.1999, 07:19 UT, SOHO EIT HeII (30.4 mm), http://sohodata.nascom.nasa.gov **Stokes parameters** I - total intensity Q - linearly polarized (horizontal or vertical) U - linearly polarized (+45° or -45°) V - circularly polarized (left-hand or right-hand)



Observations of prominences(5)



Observations of prominences(6)



Observations of prominences(7)



Observations of prominences(8)



Observations of prominences(9)



Observations of prominences(10)



Distance from line centre

HAZEL (HAnle and ZEeman Light)



is a computer program for the synthesis and inversion of Stokes profiles caused by the joint action of atomic level polariztion and the Hanle and **Zeeman effects. It is based on the quantum theory** of spectral line polarization, which takes into account rigorously all the relevant physical mechanisms and ingredients: optical pumping, atomic level polarization, level crossings and repulsions, Zeeman, Paschen-Back and Hanle effects (A. Asensio Ramos et al., ApJ, 2008).

HAZEL

+

$\rho^{\beta LS}(jM,j'M') = \langle \beta LSjM | \rho | \beta LSj'M' \rangle$

 η_Q

 η_I

 $-\rho_V \quad \eta_I$

$$\frac{d}{ds}\boldsymbol{I}(\nu,\boldsymbol{\Omega}) = \boldsymbol{\epsilon}(\nu,\boldsymbol{\Omega}) - \mathbf{K}(\nu,\boldsymbol{\Omega})\boldsymbol{I}(\nu,\boldsymbol{\Omega})$$

$$\boldsymbol{\epsilon}(\nu,\boldsymbol{\Omega}) = (\boldsymbol{\epsilon}_{I},\boldsymbol{\epsilon}_{Q},\boldsymbol{\epsilon}_{U},\boldsymbol{\epsilon}_{V})^{T} \qquad \mathbf{K} = \begin{pmatrix} \eta_{I} \\ \eta_{Q} \\ \eta_{U} \\ \eta_{U} \\ \eta_{V} \end{pmatrix}$$

$$\frac{d}{dt}\rho_{Q}^{K}(J,J') = -2\pi i \sum_{K'Q'} \sum_{J''J'''} N_{\beta LS}(KQJJ',K'Q'J''J''')^{\beta LS}\rho_{Q'}^{K'}(J'',J''')$$

$$+ \sum_{\beta_{I}L_{I}K_{I}Q_{I}J_{I}J_{I}'} \beta_{I}L_{I}S\rho_{Q_{I}}^{K_{I}}(J_{I},J_{I}')\mathbb{T}_{A}(\beta LSKQJJ',\beta_{I}L_{I}SK_{I}Q_{I}J_{I}J_{I}')$$

$$+ \sum_{\beta_{u}L_{u}K_{u}Q_{u}J_{u}J_{u}'} \beta_{u}L_{u}S\rho_{Q_{u}}^{K_{u}}(J_{u},J_{u}')[\mathbb{T}_{E}(\beta LSKQJJ',\beta_{u}L_{u}SK_{u}Q_{u}J_{u}J_{u}')$$

- + $\mathbb{T}_{S}(\beta LSKQJJ', \beta_{u}L_{u}SK_{u}Q_{u}J_{u}J'_{u})$] $-\sum_{\beta LS} \rho_{Q'}^{K'}(J'',J''') \Big[\mathbb{R}_A(\beta LSKQJJ'K'Q'J''J''') \Big]$ K'Q'J''J'''
- + $\mathbb{R}_{E}(\beta LSKQJJ'K'Q'J''J''') + \mathbb{R}_{S}(\beta LSKQJJ'K'Q'J''J''')].$

$$\rho_U - \rho_Q \eta_I /$$

 η_U

 ho_V

 η_V

 $-\rho_U$

 ρ_Q

Modelling

As a typical physical conditions of observed off-limb prominences were for I profiles: height above the Sun's disk 10", background I=0, optical depth t=1, damping a=0, velocity of turbulent motions V=0 km/s, macroscopic velocity = 0 km/s, horizontal magnetic field of 100 G; for V profiles: height above the Sun's disk 10", background I=0, optical depth =1, damping a=0, velocity of turbulent motions V=0 km/s, horizontal magnetic field of 100 G

Results of D3 HeI modelling(1)



Results of D3 HeI modelling (2)



Results of H alpha modelling (1)



Results of H alpha modelling (2)



Results of D3 HeI modelling (3)



V/I, 100xV²/I

Results of H alpha modelling (3)



V/I, 100xV²/I

Conclusions (1)

According to obtained data in observed active prominences the averaged magnetic field was in the range of -600 to +1500 G (the average measurement error 100 G). The anti-correlation effect of magnetic fields on the lines D3 and H alpha was

found in case of active prominences.

Conclusions (2)

The amplitude values of the local magnetic field of quiescent prominences were in the range of 0 to 1240 G for the line 6563 Å, and from 0 to 1220 G for the line 5875,6 Å. In contrast to the case of an active prominences, anticorrelation effect of the measured values of the magnetic field in D3 and H alpha was not observed in quiescent prominences.

Thank you for attention!